Solutions to the 2003 Sample Exam for CSE3322

Question 1

```
(a) 3
(b) 3
(c) 5, the value is ~1
(d) 3
(e) 5, used to hide the definition of a datatype
(f) 2
(g) 1
(h) 5, it will return V = c, W = a
(i) 3
(j) 5, 22 will be written
(k) 3
(l) 3
(m) 5
(n) 4
(o) 4.
```

Question 2

```
fun digitToString i = str (chr (i + ord(#"0")));
( * or
fun digitToString 0 = "0"
 | digitToString 1 = "1"
 digitToString 2 = "2"
 | digitToString 3 = "3"
 | digitToString 4 = "4"
 | digitToString 5 = "5"
 | digitToString 6 = "6"
 digitToString 7 = "7"
 digitToString 8 = "8"
 digitToString 9 = "9" ;* )
fun posIntToString i =
  if i < 10 then digitToString i
 else (posIntToString (i div 10))^
       (digitToString (i mod 10));
fun intToString i =
 if i < 0 then "~"^posIntToString (~i)</pre>
 else posIntToString i;
```

Question 4

- (a) Call-by-name parameter passing works by textually replacing the formal parameters in the abstraction body by the actual parameters.
- (b) Algol 60 and C macros both use call by name parameter passing.
- (c) It isn't used because it is hard to understand behavior of imperative programs (i.e. programs which update variable values.) As an example consider the program from the lecture notes

```
void swap(int x, y)
{
    int t;
    t := x; x := y; y := t;
}
```

which has strange behaviour with the call swap(i,a[i]).

(a)

```
\begin{split} FIRST(S) &= FIRST(X) + \{d, \epsilon\} = \{a, c, d, e, \epsilon\} \\ FIRST(X) &= FIRST(Y) + FIRST(Z) + \{a\} = \{a, c, e\} \\ FIRST(Y) &= \{c\} \\ FIRST(Z) &= \{e\} \\ FOLLOW(S) &= \{\$\} \\ FOLLOW(S) &= FIRST(S) - \{\epsilon\} + FOLLOW(S) = \{a, c, d, e, \$\} \\ FOLLOW(Y) &= FOLLOW(X) = \{a, c, d, e, \$\} \\ FOLLOW(Z) &= \{b\} + FOLLOW(Y) = \{a, b, c, d, e, \$\} \end{split}
```

(b) The parsing table is:

	a	b	с	d	е	\$
S	P1		P1	P2	P1	P3
Х	P6		P4		P5	
Υ			$\mathbf{P7}$			
Ζ					$\mathbf{P8}$	

the productions are numbered in their original order:

(c) Yes, the table shows no conflicts.

(d) The parsing for *dace* proceeds as follows:

S	dace\$	P2
dS\$	dace\$	adv
S	ace\$	P1
XS	ace\$	P6
aYS\$	ace\$	adv
YS\$	ce\$	P7
cZS\$	ce\$	adv
ZS\$	e\$	P8
eS\$	e\$	adv
S	\$	P3
\$	\$	accept

(a) The parser would not be able to decide which of the productions $X \to Y$ or $X \to Z b$ to use when trying to expand an X.

(b) The productions from (a) need to be modified such that they use distinct lookahead. This is done by "unfolding" the productions for Y and Z into those for X. The modified grammar is:

Note that you could also expand the Z production into X completely.

Question 7

(a)

The collection of sets of LR(0) items is constructed as follows:

$$\begin{split} I_0 &= \{ & S' \rightarrow \cdot S \\ S' \rightarrow \cdot a X \\ goto(I_0, S) &= I_1 \\ &= \{ & \\ S' \rightarrow S \cdot \\ goto(I_0, a) &= I_2 \\ &= \{ & \\ S \rightarrow a \cdot X, \\ X \rightarrow \cdot b X, \\ X \rightarrow \cdot b X, \\ X \rightarrow \cdot b Y, \\ \} \\ goto(I_2, X) &= I_3 \\ &= \{ & \\ S \rightarrow a X \cdot \\ \} \\ goto(I_2, b) &= I_4 \\ &= \{ & \\ X \rightarrow b \cdot X \\ X \rightarrow b \cdot X \\ X \rightarrow b \cdot X \\ X \rightarrow b \cdot Y \\ X \rightarrow \cdot b X, \\ X \rightarrow b Y, \\ Y \rightarrow \cdot c, \\ \} \\ goto(I_4, X) &= I_5 \\ &= \{ & \\ X \rightarrow b X \cdot \\ goto(I_4, Y) &= I_6 \\ &= \{ & \\ X \rightarrow b Y \cdot \\ \} \\ goto(I_4, c) &= I_7 \\ &= \{ & \\ Y \rightarrow c \cdot \\ \} \\ \end{split}$$

(b) $FOLLOW(S) = FOLLOW(X) = FOLLOW(Y) = \{\$\}.$ The SLR table is

	action			goto			
state	a	b	с	\$	S	Х	Y
0	s2				1		
1				accept			
2		s4				3	
3				r1			
4		$\mathbf{s4}$	$\mathbf{s7}$			5	6
5				r2			
6				r3			
7				r4			

Productions are again numbered in their order in the augmented grammar:

(c)

STACK	INPUT	ACTION
0	$a \ b \ b \ c \$	shift 2
$0 \ a \ 2$	$b \ b \ c \$	shift 4
$0\ a\ 2\ b\ 4$	$b\ c\$	shift 4
$0\ a\ 2\ b\ 4\ b\ 4$	$c\$	shift 7
$0\ a\ 2\ b\ 4\ b\ 4\ c\ 7$	\$	reduce 4, goto 6
$0\ a\ 2\ b\ 4\ b\ 4\ Y\ 6$	\$	reduce 3, goto 5
$0\ a\ 2\ b\ 4\ X\ 5$	\$	reduce 2, goto 3
$0 \ a \ 2 \ X \ 3$	\$	reduce 1, goto 1
$0 \ S \ 1$	\$	accept

(a) Give its syntax tree and assign a type variable to each subexpression.



(b) Generate a set of type equations (or constraints) on the type variables based on the annotated syntax tree from (a)

a = b	val
$c = e \times f$	tuple creation
$h = k \times l$	tuple creation
$g = i \times j$	tuple creation
$e = i \rightarrow k$	function application
$f = j \rightarrow l$	function application
$b = c \to d$	function definition
$d = g \to h$	function definition

(c) Solve the type equations from (b) and give the type for mystery.

After solving we end up with

$$a = ((i \to k) \times (j \to l)) \to (i \times j) \to (k \times l)$$